

Play any note on the ukulele, then play a note one fret above it. The distance between these two notes is a half step. Play another note followed by a note two frets above it. The distance between these two notes is a whole step (two half steps). The distance between any two notes is referred to as an interval.

A scale is a series notes in a specific arrangement of whole and half steps. In the example of the $C$ major scale below, the letter names are shown above the notes and the scale degrees (numbers) of the notes are written below. Notice that $C$ is the first degree of the scale, $D$ is the second, etc.

The name of an interval is determined by counting the number of scale degrees from one note to the next. For example, an interval of a 3rd, starting on C, would be determined by counting up three scale degrees, or C-D-E (I-2-3). $C$ to $E$ is a 3rd.An interval of a 4th, starting on $C$, would be determined by counting up four scale degrees, or C-D-E-F (I-2-3-4). $C$ to $F$ is a 4th.


Intervals are not only labeled by the distance between scale degrees, but by the quality of the interval.An interval's quality is determined by counting the number of whole steps and half steps between the two notes of an interval. For example, $C$ to $E$ is a $3 r$. $C$ to $E$ is also a major third because there are 2 whole steps between $C$ and $E$. Likewise, $C$ to $E$ is a 3 rd. $C$ to $E$, is also a minor third because there are $I 1 / 2$ steps between $C$ and $E$. There are five qualities used to describe intervals: major, minor, perfect, diminished, and augmented.
$M=$ Major $\quad o=$ Diminished (dim) $\quad m=$ Minor $\quad+=$ Augmented (aug) $\quad P=$ Perfect

Particular intervals are associated with certain qualities:

| 2nds, 9ths | $=$ Major, Minor \& Augmented |
| :--- | :--- |
| 3rds, 6ths, 13ths | $=$ Major, Minor, Augmented \& Diminished |
| 4ths, 5ths, 11ths | $=$ Perfect, Augmented \& Diminished |
| 7ths | $=$ Major, Minor \& Diminished |

## CHORD THEORY

Building Chords
Up until now, the examples have shown intervals and chord construction based on C. Until you are familiar with all the chords, the C chord examples on the previous page can serve as a reference guide when building chords based on other notes: For instance, locate C7(b9).To construct a G7(b9) chord, first determine what intervals are contained in $C 7(9)$, then follow the steps outlined below.


- Determine the root of the chord. A chord is always named for its root-in this case, G is the root of $\mathrm{G7}$ (69).
- Count letter names up from the letter name of the root $(G)$, as we did when building intervals on page 169 , to determine the intervals of the chord. Counting three letter names up from $G$ to $B$ ( $G-A-B, I-2-3$ ) is a $3 r d, G$ to $D(G-A-B-C-D)$ is a 5 th, $G$ to $F$ is a 7 th, and $G$ to $A$ is a 9 th.
- Determine the quality of the intervals by counting whole steps and half steps up from the root; G to B ( 2 whole steps) is a major 3 rd, $G$ to $D(31 / 2$ steps) is a perfect 5 th, $G$ to $F(5$ whole steps) is a minor 7th, and $G$ to $A b(61 / 2$ steps) is a minor 9th.



Follow this general guideline to figure out the notes of any chord. As interval and chord construction become more familiar, it will become possible to create your own original fingerings on the ukulele. Feel free to experiment!

